

Mark schemes

- 1** D [1]
- 2** C [1]
- 3** B [1]
- 4** (a) a force/1300 (condone power of ten error)
- 6200 ÷ 1300
- 4.77 (m s⁻²)
- (b) use of suitable kinematic equation
- eg distance = $27^2 / (2 \times 4.8)$ correct sub
- 76/76.4 m/72.9 from $a = 5/75.9$ from $a = 4.8$
- 5** (a) $a = \frac{44}{4.0} = 11 \text{ ms}^{-2}$ (1)
- $F = ma = 1.1 \times 10^5 \text{ N}$ (1)
- (b) $\Delta v = 236 \text{ m s}^{-1}$
- $a = \frac{236}{8.0} = 29.5 \text{ m s}^{-2}$ (1)

C1

C1

A1

3

C1

C1

A1

3

[6]

$$(c) \quad s_{\text{one}} = v_{\text{av}} \times t = \left(\frac{44 + 0}{2} \right) \times 4.0 = 88 \text{ m (1)}$$

$$s_{\text{two}} = v_{\text{av}} \times t = \left(\frac{280 + 44}{2} \right) \times 8.0 \text{ (1)} = 1296 \text{ (m) (1)}$$

$$\text{total distance} = 1384 \text{ m (1)}$$

[6]

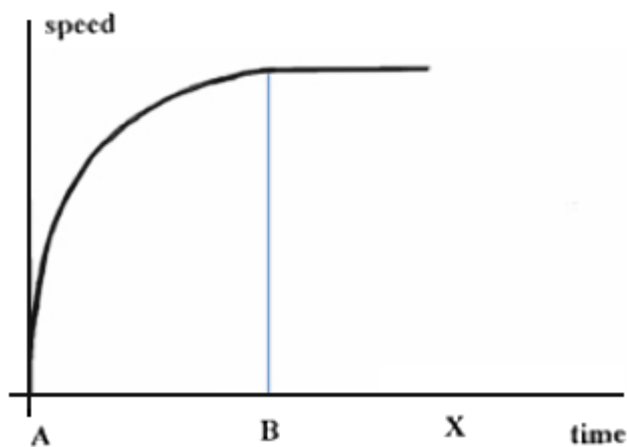
6

(a) *GPE* to *KE* to *GPE* ✓no energy lost (from system) / no work done against resistive forces ✓initial *GPE* = final (*GPE*) / initial (*GPE*) = final *GPE***OR** $h = GPE / mg$ and these are all constant so h is the same ✓

3

(b) Initial curve with decreasing gradient and reaching constant maximum speed before X and maintaining constant speed up to X ✓

B labelled in correct place ✓

B labelled in correct place **AND** constant speed maintained for remainder of candidates graph and line is straight ✓

3

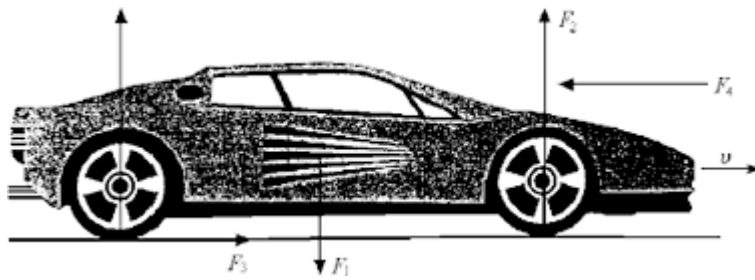
(c) (first law) ball travels in a straight line at a constant speed / constant velocity / (maintains) uniform / no change in motion / zero acceleration ✓there is no (external) **unbalanced** / **resultant** force acting on it ✓

2

[8]

7

(a) (i)



F_1 weight / mg (1)

F_2 reaction or normal contact force (1)

F_3 driving force (1)

F_4 friction or air resistance (1)

- (ii) zero acceleration (1)
zero resultant force (1)

The Quality of Written Communication marks were awarded primarily for the quality of answers to this part.

(max 5)

(b) ($P = Fv$ gives) $18 \times 10^3 = F \times 10$ (1) (and $F = 1.8 \times 10^3$ N)

(1)

(c) (i) $1800 - 250 = 1.6 \times 10^3$ N (1) (1.55×10^3 N)

(ii) force = $4 \times 1.55 \times 10^3 = 6.2 \times 10^3$ N (1)
(allow e.c.f. from (i))

(iii) total force = $6200 + 250$ (N) (1) ($= 6.45 \times 10^3$ (N))
($P = Fv$ gives) $P = 6.45 \times 10^3 \times 20 = 1.3 \times 10^5$ W (1) (1.29×10^5 W)
(allow e.c.f. for value of total force)

(4)

[10]

8

(a) (i) air resistance/drag

B1

(normal) reaction (of the ground on the skier)

B1

2

(ii) no resultant force (in any direction)/forces in equilibrium

B1

1

- (b) any closed triangle with W as a complete side

M1

closed triangle with correct lengths or angles even if P and Q are reserved

A1

correct triangle by eye

A1

force correct 490 ± 20 N

B1

4

- (c) (i) appropriate force/87 **ecf**

C1

5.4 to 5.9 ms^{-2} **cao**

A1

2

- (ii) deceleration would decrease

B1

resistance forces increase with speed/are proportional to speed²/

resultant force gets smaller as speed gets less

B1

2

[11]

9

- (a) (i) $\left(\alpha = \frac{F}{m}\right) = \frac{(-)30(000)}{15100}$ **(1)** = (-)2.0 (= 1.99 m s^{-2}) **(1)**

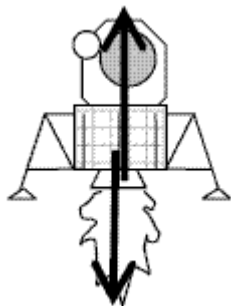
2

- (ii) $(v = u + at)$ $t = \frac{v-u}{a}$ or substitution **(1)**

$$= \left(\frac{150 - 20401}{-1.99}\right) = 950 \text{ (s)} \text{ **(1)** ecf from (i)}$$

2

(b) (i)



opposing vertical arrows of roughly equal length **or** labelled weight/mg/gravity/W **and** thrust/reaction/R/F/TF/engine force/rocket force/motor force/motive force/driving force **(1)**

correctly labelled

+ arrows vertical

+ not more than 2 mm apart

+ roughly central

+ weight arrow originates within rectangular section and

thrust originates within rectangular section or on jet outlet **(1)**

2

(ii) new mass = $15100 \times 0.47 = 7097$ (kg) **(1)**

($F = mg = 7097 \times 16(1) = 11000$ (= 11426 N) **(1)**)

2

(c) ($v^2 = u^2 + 2as$ $v = \sqrt{0.80^2 + 2 \times 1.61 \times 1.2}$) correct u , a and s clearly identified **(1)**

= 2.1 (= 2.122 m s⁻¹) **(1)**

2

[10]

10

(a) (momentum of air) increases ✓

words implying increase

1

(b) (rate of change of momentum so) force acting on the air (Newton 2) ✓

1

it/air exerts force (on engine) of the same/equal magnitude/size ✓

1

but opposite in direction (Newton 3) ✓

allow backwards and forwards to indicate opposite

1

(c) (*use of* $F = \Delta mv/t$)

$F = 210 \times 570 = 120\,000$ (N) (119 700) ✓

1

- (d) momentum/velocity is a vector OR momentum/velocity has direction ✓

1

there is a change (in the air's) direction ✓

1

- (e) (use of $F = ma$)

$$a = (-) 190\,000/7.0 \times 10^4 = 2.7 \text{ (2.71) (m s}^{-2}\text{)} \checkmark$$

1

- (f) (use of $v^2 = u^2 + 2as$)

CE from 01.5

accept range 850 – 860

if forget to square u or double a score 1 mark

1

$$0 = 68^2 - 2 \times 2.7 \times s \checkmark$$

$$s = 68^2/(2 \times 2.7) = 860 \text{ (m) (856)}$$

accept alternatives using $s = ut + 1/2at^2$ OR average speed – first mark for time calculation AND correct substitution

1

- (g) rate of intake of air decreases (as plane slows) OR volume/mass /amount of air (passing through engine) per second decreases ✓

allow argument in terms of (air) resistance

(air) resistance decreases as speed of aircraft decreases for 1 mark

1

- (as) smaller rate of change of momentum OR momentum change ✓

NOT FRICTION

1

[12]

11

- (a) arrow parallel to slope labelled $(M+2m)g\sin 35$ and label parallel to slope labelled tension OR T ✓



Ignore arrows not parallel to ground e.g. weight

Ignore friction

W not acceptable for $(M + 2m)g$

1

(b) $T - Mg\sin 35 = Ma$
 AND $(M+2m)g\sin 35 - T = (M+2m)a \checkmark$

add two equations

$$(M + 2m)g\sin 35 - Mg \sin 35 = Ma + (M + 2m)a \checkmark$$

HENCE

$$(a = mgs\sin 35 / (M+m))$$

OR

$$(M + 2m)g\sin 35 - Mgs\sin 35 \checkmark (= (2M+2m)a)$$

$$a = 2mgs\sin 35 / (2M + 2m) \checkmark$$

HENCE

$$(a = mgs\sin 35 / (M+m))$$

1
1

- (c) SECOND MARK CONDITIONAL ON FIRST
 mass / impulse / acceleration (of trollies) is the same \checkmark
 momenta (trolley A and B) the same

SECOND MARK CONDITIONAL ON FIRST

both have same speed / magnitude of velocity but different masses

\checkmark

(hence) momentum of A is greater / momenta in opposite directions

\checkmark

1
1

(d) acceleration = $\frac{1}{4} \times \frac{30 \times 9.81 \times \sin 35^\circ}{(30 + 95)} = 0.338 \checkmark$

(use of $v^2 = 2as$)

$$v = \sqrt{(2 \times 0.338 \times 9.0)} = 2.47 \checkmark$$

$$t = \frac{2.47}{0.338} = 7.3s \checkmark$$

OR

(use of $s = 1/2at^2$)

$$9 = \frac{1}{2} \times 0.338 \times t^2 \checkmark$$

$$t = 7.3s \checkmark$$

CE from acceleration calculation

If used g for acceleration then no marks awarded

1
1
1

(e) number of journeys = $(1800/(12 + 7.3) = 93$ or $94 \checkmark$

number of blocks = $2 \times 93 = 186$ or $2 \times 94 = 188 \checkmark$

Allow CE from 06.4

Allow between 93 to 94

Allow CE from incorrect number of journeys

Allow 186 to 188

1
1

[10]

12

(a) (i) (use of $F = ma$ gives) $1.8 \times 10^3 = 900 a$ (1)
 $a = 2.0 \text{ m s}^{-2}$ (1)

(ii) (use of $v = u + at$ gives) $v = 2.0 \times 8.0 = 16 \text{ m s}^{-1}$ (1)
(allow C.E. for a from (i))

(iii) (use of $p = mv$ gives) $p = 900 \times 16$
 $= 14 \times 10^3 \text{ kg m s}^{-1}$ (or N s) (1) ($14.4 \times 10^3 \text{ kg m s}^{-1}$)
(allow C.E. for v from(ii))

(iv) (use of $s = ut + \frac{1}{2}at^2$ gives) $s = \frac{1}{2} \times 2.0 \times 8^2$ (1)

 $= 64 \text{ m}$ (1)

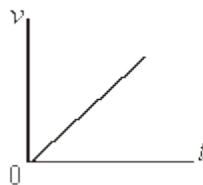
(allow C.E. for a from (i))

(v) use of $W = Fs$ gives) $W = 1.8 \times 10^3 \times 64$ (1)
 $= 1.2 \times 10^5 \text{ J}$ (1) ($1.15 \times 10^5 \text{ J}$)
(allow C.E. for s from (iv))

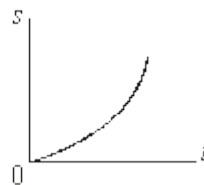
[or $E_k = \frac{1}{2}mv^2 = \frac{1}{2} \times 900 \times 16^2$ (1)
 $= 1.2 \times 10^5 \text{ J}$ (1)
(allow C.E. for v from (ii))]

9

(b)



(1)



(1)

2

- (c) (i) decreases **(1)**
air resistance increases (with speed) **(1)**
- (ii) eventually two forces are equal (in magnitude) **(1)**
resultant force is zero **(1)**
- hence constant/terminal velocity (zero acceleration)
in accordance with Newton's first law **(1)**
- correct statement and application of Newton's first
or second law **(1)**

max 5
QWC 2

[16]